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93, chemin des Mouilles 69130 Ecully - France Maison de l'Université, Bâtiment B 10, rue Tréfilerie

42023 Saint-Etienne cedex O2 - France http://www.gate.cnrs.fr

gate@gate.cnrs.fr

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# The effect of group identity on hiring decisions with incomplete information

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## **Keywords:**

Labor, Discrimination, Identity, Economics: Game Theory and Bargaining Theory, Hiring

**JEL codes:** C9, D82, J71, M51



## The effect of group identity on hiring decisions with incomplete information

Fortuna Casoria

Univ Lyon, CNRS, GATE UMR 5824, F-69130 Ecully, France. E-mail: casoria@gate.cnrs.fr

Ernesto Reuben

New York University Abu Dhabi, Center for Behavioral Institutional Design, Luxembourg Institute of Socio-Economic Research. E-mail: ereuben@nyu.edu

Christina Rott Vrije Universiteit Amsterdam, 1081HV Amsterdam, The Netherlands.

E-mail: c.e.rott@vu.nl

#### Abstract

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## 1 Introduction

A large stream of research has provided consistent evidence of discrimination in hiring decisions.<sup>1</sup> Recently, scholars have shown that employers tend to favor candidates that are similar to themselves in terms of tastes, leisure pursuits, and experiences (e.g., Rivera, 2012). Among other explanations, these findings are consistent with ingroup favoritism—the tendency displayed by individuals to treat members of the own identity group more favorably than those from different identities. While ingroup favoritism is commonly associated with unfavorable consequences, it could also help organizations overcome problems arising from individuals' selfinterest. After all, many studies show that sharing a common identity increases cooperation (e.g., Eckel and Grossman, 2005), coordination (e.g., Chen and Chen, 2011), and trust (e.g., Falk and Zehnder, 2013).<sup>2</sup> The hiring process is of interest because employers often do not know the candidates' abilities before hiring them and evidence provided by the candidates is typically unverifiable. In this situation, if there is a large share of low-ability candidates, it can be suboptimal for employers to hire at all. This study aims to investigate the role of ingroup favoritism in overcoming adverse selection problems in hiring decisions and identify whether ingroup favoritism results in taste-based or statistical discrimination.

We run a laboratory experiment using an adverse selection hiring game (Charness and Dufwenberg, 2011). In the game, an employer decides whether to hire a worker or not. The worker can be of low or high ability, but his ability is private information, hence unknown to the employer. Before the hiring decision, the worker sends a message to the employer in which he can claim to be of either ability. The prediction with the standard assumption of own-payoff maximization is for the worker to send the high-ability message and for the employer not to hire. However, as Charness and Dufwenberg (2011) show, the adverse selection problem is alleviated if a substantial fraction of workers is unwilling to lie about their ability, making it profitable for the employer to hire.

We introduce minimal group identities before participants play the game (Tajfel, 1970). Thereafter, we randomly assign participants to roles (employer or worker), workers to abilities (high or low), and employers are matched with either an ingroup or an outgroup worker. We ensured that participants know that abilities are randomly assigned, which rules out an asso-

<sup>&</sup>lt;sup>1</sup>A lot of the literature studies discrimination against racial and ethnic minorities as well as women in the likelihood of being interviewed or hired. In addition, individuals with lower social status, proxied by their names or region, have been found to experience discrimination in many (high-status) professions (e.g., Riach and Rich, 2002; Bertrand and Mullainathan, 2004; Oreopoulos, 2011; Edo et al., 2019). Recent research has even shown that common accents are more hirable, while regional accents are discriminated against (Rakić et al., 2011).

 $<sup>^{2}</sup>$ We concentrate on situations where identities are observable. Therefore, we do not distinguish between ingroup favoritism and outgroup discrimination.

ciation between ability and group identity by design. Based on insights from the literature, we conjecture that group identities can affect hiring outcomes. First, workers might lie less to ingroup than to outgroup employers. Second, employers might discriminate in favor of ingroup workers because they expect ingroup workers to be more truthful (statistical discrimination) or because they exhibit altruism towards ingroup members (taste-based discrimination). We elicit the employer's expectations about the workers' truthfulness to distinguish between these two forms of discrimination.

Empirical and anecdotal evidence shows that workers respond to discrimination by adapting aspects of their identity. For instance, job seekers might change their name, disguise their accent, or opt for gender-free applications (Arai and Thoursie, 2009; Biavaschi et al., 2017).<sup>3</sup> In fact, Akerlof and Kranton (2000) argue that the choice of one's identity may be one of the most important economic decisions people make.<sup>4</sup> Inspired by these papers, we implement two treatments: a treatment with fixed identities and a treatment with flexible identities where workers can choose whether to keep their initial identity or adopt the employer's identity. We investigate not only whether workers change their identity but also how the option to change identity affects the lying and hiring decisions of ingroup and outgroup employer-worker pairs.

We find that identity does not affect lying since workers lie equally often to ingroup and outgroup employers. However, employers exhibit ingroup favoritism by hiring ingroup workers significantly more often than outgroup workers. Interestingly, employers do not trust messages from ingroup workers more than those of outgroup workers. In other words, discrimination in favor of ingroup workers does not emerge due to statistical discrimination, suggesting that it is driven by tastes. With flexible identities, we find that few workers change their identity. Nevertheless, the possibility of changing identity eliminates discrimination in favor of ingroup workers but also reduces overall hiring rates.

## 2 The experiment

## 2.1 Adverse selection hiring game

We implement a variation of the game used by Charness and Dufwenberg (2011). In the game, an employer is matched with a worker, who can be of *low* or *high* ability. The employer knows that the probability of being matched with a high-ability worker is  $\frac{1}{2}$ , but only the worker knows their realized ability. After learning their ability, the worker sends a preformulated cheap-talk

<sup>&</sup>lt;sup>3</sup>In these studies, identity and individual traits are potentially correlated. An advantage of our experiment is that we can rule out an association between identity and a worker's ability.

<sup>&</sup>lt;sup>4</sup>Other research considers identity choice in the context of multidimensional identities. Shayo (2009) analyzes how identification affects support for redistribution. Bernard et al. (2016) study the role of identity choice in shaping social structures.

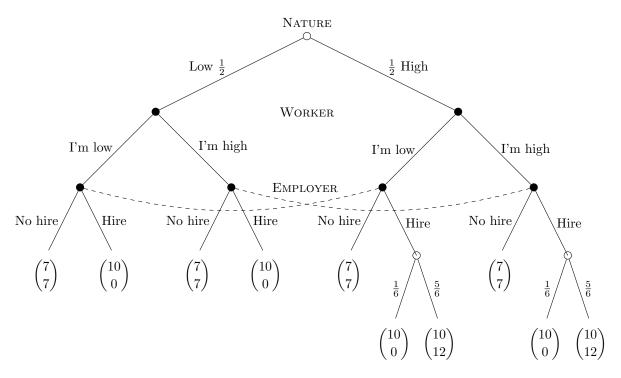


Figure 1. Game tree of the adverse selection hiring game

message to the employer. Workers choose between the message "I am in the low-ability group" and "I am in the high-ability group". After receiving the message, the employer decides whether to hire the worker or not. The game tree is depicted in Figure 1. If the employer does not hire, then the employer and the worker get  $\in$ 7 irrespective of the worker's ability. If the employer does hire, then the worker gets  $\in$ 10, and the employer's earnings depend on the worker's ability. If the employer receives  $\in$ 12 with probability  $\frac{5}{6}$  and  $\in$ 0 otherwise. As in Charness and Dufwenberg (2011), this feature guarantees that false messages by low-ability workers are contractually nonverifiable.<sup>5</sup>

## 2.2 Experimental design

The experiment consists of two parts. Participants are informed that they will receive the corresponding instructions at the beginning of each part.

<sup>&</sup>lt;sup>5</sup>Like in Charness and Dufwenberg (2011), there is a final decision, not depicted in Figure 1, where the worker chooses between 'Accept' and 'Reject' after learning the employer's decision. Figure 1 shows the payoffs if the worker accepts. Rejecting is a dominated action since it gives both players a payoff of  $\in$ 5. Not surprisingly, 97.5% (117 out of 120) of the workers accept. Since this decision does not affect the theoretical predictions or results, we omit it from our analysis. This decision is interesting in Charness and Dufwenberg (2011) because it is relevant in their other treatments. In our case, it is not, but we decided to keep it for our results to be comparable to theirs.

### Part 1: Group identity

In part 1, we induce group identity using the minimal group paradigm (Tajfel, 1970). As in many studies, we use the participants' revealed preferences to induce identities.<sup>6</sup> We ask the participants to choose one of two smartphones: an iPhone 6 or a Samsung S6 Edge. Both smartphones have similar functionality, features, and price (around  $\in$ 750 when the study was conducted). To incentivize their decision, we conduct a lottery with a 1 in 750 chance of winning the chosen smartphone.<sup>7</sup>

### Part 2: Adverse selection hiring game and belief elicitation

Part 2 consists of two stages. One stage is randomly drawn at the end of the session to determine everyone's payment. In the first stage, participants learn their role (employer or worker), observe each other's identity, and play the one-shot adverse selection hiring game described above. In the second stage, we elicit beliefs. Specifically, immediately after the hiring decision, we ask employers to indicate the probability that they are matched with a low-ability worker. The belief elicitation is incentivized using the mechanism proposed by Karni (2009).<sup>8</sup>

## Treatments

We run two treatments. In treatment *Fixed*, the identity chosen in part 1 cannot be changed. In treatment *Flexible*, workers can revise their identity choice after observing their employer's identity but before sending their message. Employers know that workers can change identity, but they do not know whether the worker's identity they observe is the initially-chosen identity or not.

## 2.3 Conjectures

If all players are rational own-payoff maximizers, the adverse selection hiring game is easily solved. Intuitively, if the employer conditions her hiring on the worker's message, both highability and low-ability workers have an incentive to always send the message that results in a higher probability of being hired. However, if workers always send the same message, then messages are uninformative of the worker's ability, and the employer's expected earnings from

<sup>&</sup>lt;sup>6</sup>A commonly-used approach is to ask participants for their preference over paintings by Klee and Kandinsky and then assign them to groups according to their stated tastes (e.g., Chen and Li, 2009; Gioia, 2017; Kranton and Sanders, 2017). Others have used preferences over movie genres (Dickinson et al., 2018), colors (Charness et al., 2007), and poetry (Kranton and Sanders, 2017).

<sup>&</sup>lt;sup>7</sup>Participants know that their choice is anonymous and will be used in the second part of the experiment. They also indicate the strength of their preference for the chosen smartphone.

<sup>&</sup>lt;sup>8</sup>We also ask workers to predict their employer's expectation of being matched with a low-ability worker.

not hiring (i.e.,  $\in 7$ ) exceeds her payoff from hiring (i.e.,  $\frac{1}{2} \times \frac{5}{6} \times \in 12 = \in 5$ ). Hence, in equilibrium, employers do not condition their hiring on the message and never hire, making workers indifferent to what message to send.

Next, we consider how these predictions change if we assume some workers are unwilling to lie. Our goal is to provide a straightforward benchmark describing the conditions under which employers have an incentive to hire. For simplicity, we describe the case where players are risk-neutral, but the general intuition applies to other risk preferences. Over the past decades, substantial evidence has accumulated that some individuals have a preference for truthtelling (e.g., see Abeler et al., 2019). Here, we simply assume that a fraction  $\theta$  of low-ability workers maximize their monetary earnings while the remaining  $(1 - \theta)$  are truthful and send the lowability message. Under this assumption, if we denote the employer's updated belief of being matched with a high-ability worker as  $b_H$ , then she prefers to hire as long as her payoff from hiring  $(b_H \times \frac{5}{6} \times \in 12)$  exceeds that from not hiring (i.e.,  $\in 7$ ). In other words, employers hire if their updated belief is above the threshold  $b_H^* = \frac{7}{10}$ . If employers hire workers who send a highability message, then earnings-maximizing high-ability and low-ability workers have a dominant strategy to send the high-ability message. Consequently, since the initial probability of a highability worker is  $\frac{1}{2}$ , the probability that a worker is high-ability conditional on observing a high-ability message boils down to  $\frac{1}{1+\theta}$ . Combining this with  $b_H^*$  gives us the threshold fraction of low-ability workers who lie below which employers are willing to hire:  $\theta^* = \frac{3}{7}$ .

### The role of identity

Here, we discuss the role of group identity, starting with the case where identities are *fixed*. There is considerable evidence that people favor ingroup over outgroup members in numerous domains; from simple allocation decisions to cooperation and trust games (e.g., see Eckel and Grossman, 2005; Chen and Li, 2009; Chen and Chen, 2011; Falk and Zehnder, 2013). A few studies report that ingroup favoritism applies to lying behavior. Rong et al. (2016) find that a shared identity decreases lying in guessing games preceded by a communication stage. Using natural identities, Maximiano and Chakravarty (2016) find that senders in a sender-receiver game lie less to ingroup (i.e., friends) than to outgroup receivers (i.e., strangers). In a repeated lemons market game, Butler (2014) finds less lying in ingroup matches.<sup>9</sup> Given this evidence, we propose the following conjecture.

**Conjecture 1** Fewer workers will lie to ingroup than to outgroup employers.

One reason for workers to lie less to ingroup employers is altruism towards ingroup members

<sup>&</sup>lt;sup>9</sup>Not all studies find evidence of ingroup favoritism in lying. Feldhaus and Mans (2014) find no effect of social identity on lying in a sender-receiver game, while Benistant and Villeval (2019) find the same result in a Tullock contest with communication.

(Chen and Li, 2009). In this case, workers will lie less to ingroup employers to increase their earnings. Alternatively, it is plausible that it is psychologically costlier to lie to an ingroup than to an outgroup member. After all, lying is often seen as immoral and moral decisions depend on the closeness between the decision-maker and the potential victim (Bénabou et al., 2020). Although these are distinct reasons, in the simple model above, they boil down to a lower fraction of workers lying in ingroup than in outgroup pairs.<sup>10</sup>

Like workers, there are two straightforward reasons for employers to discriminate in favor of ingroup workers. The first reason is discrimination based on taste—i.e., altruism towards ingroup members. Employers increase workers' earnings by hiring them. Hence, altruism towards ingroup members can lead to a higher likelihood of hiring an ingroup worker if the employers' belief  $b_H$  is not too extreme.<sup>11</sup> The second reason is statistical discrimination. In other words, employers favoring ingroup workers because they believe they are less likely to lie (anticipating Conjecture 1), which is consistent with the evidence showing that individuals expect others to lie less to ingroup members (Benistant and Villeval, 2019). These arguments give us a second conjecture.

#### **Conjecture 2** Employers are more likely to hire an ingroup than an outgroup worker.

Given that we elicit the employers' beliefs, we can further disentangle empirically taste-based and statistical discrimination. We formulate this as a third conjecture.

**Conjecture 3** If employers discriminate statistically, their belief of being matched with a highability worker after a high-ability message will be higher for ingroup than for outgroup workers.

To conclude, we discuss the *Flexible* treatment. In this treatment, workers can switch their initial identity before it is revealed to employers. Since research on changing minimal identities is rare,<sup>12</sup> it is unclear whether individuals will use initial or final identities to treat others as

<sup>&</sup>lt;sup>10</sup>One could differentiate between these two reasons with the workers' expectations of each message's impact on the hiring decision. Altruism towards the ingroup predicts a positive association between the relative impact of sending the high-ability message and the likelihood of sending the truthful message. Since incentivized belief elicitation of counterfactual actions is inordinately complicated, we refrained from measuring these beliefs.

<sup>&</sup>lt;sup>11</sup>If we define the utility of an employer as  $u = \pi + \alpha$ , where  $\pi$  is the employer's pecuniary payoff, and  $\alpha$  is the utility of increasing the worker's earnings by  $\in 2$ , then the employer hires if her updated belief is above  $b_H^* = \frac{7-\alpha}{10}$ . If altruism is higher towards ingroup than outgroup members (i.e.,  $\alpha^I > \alpha^O$ ), then there is discrimination in favor of the ingroup for beliefs  $b_H \in \left(\frac{7-\alpha^I}{10}, \frac{7-\alpha^O}{10}\right)$ .

<sup>&</sup>lt;sup>12</sup>A few researchers have explored settings where individuals can change their affiliation to identity groups. Hargreaves Heap and Zizzo (2009) allow participants to trade group affiliations to play trust games. In Charness and Shmidov (2014), participants playing a public goods game can exit, exclude, and add others to their identity group. Hett et al. (2017) measure group identification preferences and their effect on distributional choices. Robin et al. (2014) find that participants strategically change their opinion to match those of principals, who, in turn, reward like-minded people.

an ingroup or an outgroup member. If final identities are used, and there is ingroup favoritism (Conjectures 1 through 3), then workers have a strong incentive to match the identity of the employer, resulting in overall less lying and more hiring. If initial identities are used, then employers would like to hire workers with whom they share an initial identity, but they cannot tell by observing the final identity whether their initial identities match. This introduces a second adverse-selection problem, which could result in the breakdown of the effect of group identity on hiring. Hence, the effect of flexible identities is ambiguous. Finally, research on natural identities shows that switching one's identity is psychologically costly (Burke, 2006; Chandra, 2006). We use minimal group identities, but even a small psychological cost might be enough to deter workers from switching in the experiment.

## 2.4 Procedures

We conducted the experiment at BEElab in Maastricht University in the fall of 2015. Participants were undergraduate students. We ran ten sessions (five per treatment) with a total of 240 participants (120 per treatment). Each session took one hour, and participants earned, on average,  $\in 12$ , including a  $\in 5$  show-up fee. Instructions were written with neutral language. The appendix contains samples of the instructions and screenshots.

## 3 Results

We collected 60 independent observations (i.e., employer-worker pairs) per treatment. In *Fixed*, we have 35 outgroup and 25 ingroup pairs, while in *Flexible*, we have 28 outgroup and 32 ingroup pairs. Throughout the analysis, we use the worker's initial identity in *Flexible* to determine whether workers and employers form an ingroup or an outgroup pair. Since only 10.0% of workers change their identity (6 out of 60), our results are not qualitatively different if we use the workers' assumed identity.<sup>13</sup>

## 3.1 Workers' lying behavior

As expected, low-ability workers lie significantly more often than high-ability workers. Across both treatments, 46.7% of low-ability workers lie (28 out of 60), while only 1.7% of high-ability workers do so (1 out of 60;  $\chi^2$  test, p < 0.001). Henceforth, we focus on the behavior of low-ability workers.

<sup>&</sup>lt;sup>13</sup>Since few workers change identity, we cannot draw reliable conclusions for this decision. Intriguingly, workers in ingroup and outgroup pairs change their identity similarly often (3 out of 28 vs. 3 out of 32;  $\chi^2$  test p = 0.863). Moreover, the strength of preferences for the chosen smartphone is similar for workers who change identity and those who do not (Mann-Whitney U test, p = 0.684).

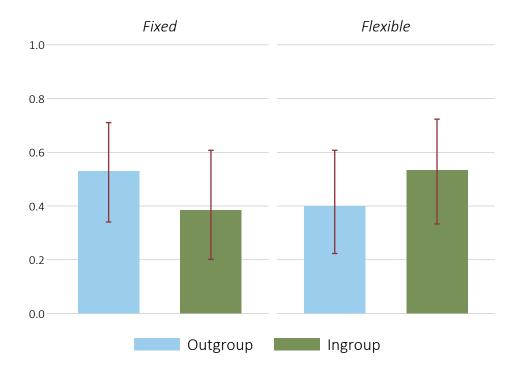


Figure 2. Fraction of low-ability workers who lie to the employer in *Fixed* and *Flexible Note:* Error bars depict 90% confidence intervals. Ingroup and outgroup pairs are determined by the workers' initial identity.

Figure 2 depicts how frequently low-ability workers lie. In *Fixed*, 38.5% of low-ability workers lie in ingroup pairs (5 out of 13), which is slightly less often than the 52.9% who lie in outgroup pairs (9 out of 17). In *Flexible*, it is the other way around: 53.5% of low-ability workers lie in ingroup pairs (8 out of 15), and 40.0% lie in outgroup pairs (6 out of 15). These differences are not statistically significant ( $\chi^2$  tests, p = 0.431 in *Fixed* and p = 0.464 in *Flexible*). Note that these fractions are close to the threshold below which employers are willing to hire ( $\theta^* \approx 42.9\%$ ). We also do not find evidence that being in the *Fixed* or *Flexible* treatment affects lying ( $\chi^2$ tests, p = 0.464 for outgroup pairs and p = 0.431 for ingroup pairs). Overall, we do not find support for Conjecture 1.

**Result 1** With both fixed and flexible identities, low-ability workers lie similarly irrespective of whether the employer is an ingroup or an outgroup.

## 3.2 Employers' beliefs and hiring behavior

A substantial number of employers hire the worker, and their decision is highly dependent on the worker's message. Overall, 60.9% of the employers who received the high-ability message hire the worker (53 out of 87), while only 3.0% of the employers who received the low-ability message do (1 out of 33;  $\chi^2$  test, p < 0.001). Thus, from here on, we focus on the hiring decisions and beliefs of employers who receive the high-ability message.

In *Fixed*, 74.4% of the employers hire the worker after receiving the high-ability message (32)

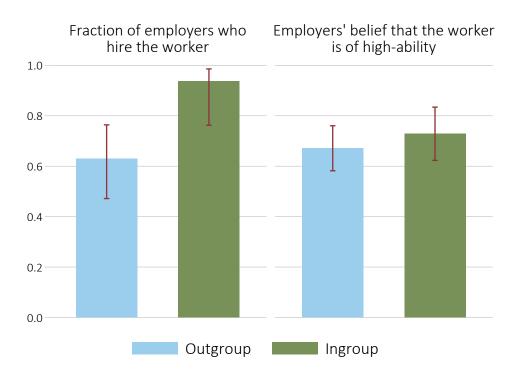


Figure 3. Fraction of employers who hire and their average belief that the worker is of high-ability in *Fixed* 

*Note:* Only for employers who receive the high-ability message. Error bars depict 90% confidence intervals. Ingroup and outgroup pairs are determined by the workers' initial identity.

out of 43). Notably, the employers' average belief of being matched with a high-ability worker equals 69.3%, which is very close to the threshold above which hiring is profitable ( $b_H^* = 70\%$ ). It is also close to the observed fraction of high-ability workers among those who send the high-ability message, namely 67.4%.

Figure 3 depicts the fraction of employers who hire the worker and their mean belief that the worker is of high ability. It shows that 93.7% of employers who receive the high-ability message hire ingroup workers (15 out of 16) but only 62.9% hire outgroup workers (17 out of 27;  $\chi^2$  test, p = 0.025). Hence, we find evidence of discrimination against outgroup workers, supporting Conjecture 2. Interestingly, employers' beliefs of being matched with a high-ability worker are not significantly different between ingroup and outgroup pairs (72.9% vs. 67.1%; Mann-Whitney U test, p = 0.574), which suggests that employers' discrimination is not statistical but rather taste-based (see Conjecture 3).

**Result 2** With fixed identities, employers are equally likely to believe the message of ingroup and outgroup workers. However, employers are more likely to hire ingroup than outgroup workers, providing evidence for taste-based rather than statistical discrimination.

Next, we look at the *Flexible* treatment. In this treatment, only 47.7% of the workers who send the high-ability message are hired (21 out of 44). The fraction of employers who hire is significantly lower in *Flexible* than in *Fixed* ( $\chi^2$  test, p = 0.011). In line with the lower hiring

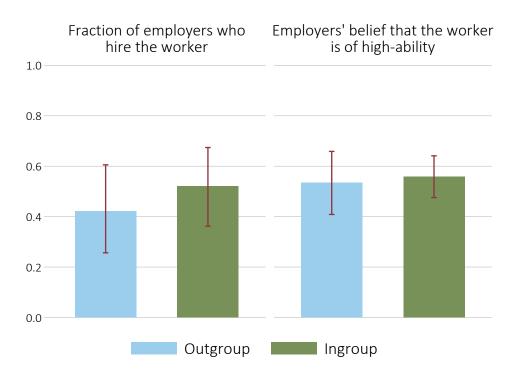


Figure 4. Fraction of employers who hire and their average belief that the worker is of high-ability in *Flexible* 

*Note:* Only for employers who received the high-ability message. Error bars depict 90% confidence intervals. Ingroup and outgroup pairs are determined by the workers' initial identity.

rate, the employers' belief of being matched with a high-ability worker is significantly lower in *Flexible* than in *Fixed* (54.8% vs. 69.3%; Mann-Whitney U test, p = 0.020) and is close to 50%, the belief one would hold if the high-ability message is uninformative of the worker's ability.

For employers in *Flexible* who receive the high-ability message, Figure 4 depicts the fraction of them who hire the worker and their mean belief that the worker is of high ability. Workers in ingroup pairs are hired at roughly the same rate as workers in outgroup pairs: 52.0% for ingroup workers (13 out of 25) vs. 42.1% for outgroup workers (8 out of 19;  $\chi^2$  test, p = 0.515). Hence, the difference in hiring between *Fixed* and *Flexible* is mostly driven by a difference in the fraction of hired ingroup workers. The hiring rate in ingroup pairs is significantly higher in *Fixed* than in *Flexible* ( $\chi^2$  test, p = 0.005), while there is no significant difference for outgroup pairs ( $\chi^2$  test, p = 0.162). As in *Fixed*, in *Flexible*, we do not find that the employers' belief about the workers' ability differs significantly between ingroup and outgroup pairs (55.8% vs. 53.4%; Mann-Whitney U test, p = 0.595). Compared to *Fixed*, employers in *Flexible* are more pessimistic of being matched with a high-ability worker in ingroup pairs (72.9% in *Fixed* vs. 55.8% in *Flexible*; Mann-Whitney U test, p = 0.049) and outgroup pairs (67.1% in *Fixed* vs. 53.4% in *Flexible*; Mann-Whitney U test, p = 0.147).

In Table 1 we analyze the employers' hiring decisions controlling for their beliefs. Specifically, we run linear probability regressions with the employers' hiring decision as the dependent variable. As above, we restrict the sample to employers who received the high-ability message.

#### Table 1. Determinants of the employers hiring decision

*Note:* Linear probability regressions. The dependent variable equals 1 if the employer hires the worker and 0 otherwise. Indicator variables for treatment (*Fixed* or *Flexible*)  $\times$  pair type (ingroup or outgroup), with outgroup pairs in *Fixed* as the reference category. Controls include the employers' self-reported risk aversion, age, nationality, gender, and field of study. Robust standard errors in parentheses. \*\*\*, \*\*, and \* indicate statistical significance at 0.01, 0.05, and 0.10.

	Ι	II	III	IV	V	VI
Ingroup pairs in <i>Fixed</i>	0.308***	0.276**	0.301***	0.299**	0.290**	0.327***
	(0.114)	(0.106)	(0.105)	(0.130)	(0.122)	(0.118)
Outgroup pairs in <i>Flexible</i>	-0.209	-0.133	-0.130	-0.194	-0.126	-0.124
	(0.150)	(0.145)	(0.145)	(0.147)	(0.143)	(0.144)
Ingroup pairs in <i>Flexible</i>	-0.110	-0.048	-0.009	-0.133	-0.073	-0.026
	(0.140)	(0.132)	(0.133)	(0.136)	(0.130)	(0.129)
Belief of high-ability		$0.547^{***}$			$0.507^{***}$	
		(0.180)			(0.176)	
Belief of high-ability $\geq 70\%$			$0.359^{***}$			$0.358^{***}$
			(0.096)			(0.096)
Demographic controls	No	No	No	Yes	Yes	Yes
Observations	87	87	87	87	87	87
$R^2$	0.126	0.212	0.240	0.204	0.272	0.304

In column I, as independent variables, we add indicator variables for the treatment  $\times$  pair-type combinations (the reference category being outgroup pairs in *Fixed*). This regression simply reproduces the results reported above using non-parametric tests—namely, a significantly higher hiring rate by employers in ingroup pairs in *Fixed*. In columns II and III, we add the employers' belief of being matched with a high-ability worker. In column II, we add beliefs as point predictions, while in column III, we add them as a dummy variable that equals 1 if the employer's belief is equal to or above the threshold above which hiring is profitable (i.e.,  $b_H^* = 70\%$ ). In both regressions, the coefficient of beliefs is large and statistically significant, confirming the importance of beliefs in the employers' decision.<sup>14</sup> Interestingly, the introduction of beliefs has two effects on the coefficients of the indicator variables. First, it reduces the magnitude of coefficients of ingroup and outgroup pairs in *Flexible*, making these pairs even more similar to outgroup pairs in *Fixed*. Second, the introduction of beliefs has little effect on the coefficient of ingroup pairs in *Fixed*. If we interpret this coefficient as the impact of taste-based discrimination, these regressions support the conclusion that employers discriminate based on taste when identities are fixed but not when they are flexible. Columns IV, V, and VI show that these conclusions are robust to controlling for the employers' self-reported tolerance for risk and demographic characteristics (age, gender, Dutch nationality, and economics major).

**Result 3** With flexible identities, employers are equally likely to hire and believe the message of ingroup and outgroup workers. Compared to fixed identities, flexible identities reduce the hiring

<sup>&</sup>lt;sup>14</sup>We also ran regressions using a set of dummy variables to divide beliefs into ten equally-spaced categories. The results are qualitatively and quantitatively unchanged in this more-flexible specification.

#### Table 2. Allocation efficiency and average expected earnings by treatment and pair type

*Note:* Allocation efficiency is the fraction of pairs in which the employer hires a high-ability worker or does not hire a low-ability worker. Statistics are calculated by simulating all possible pairings considering the employers' hiring rate (conditioning on the message received) and the workers' lying rate (conditioning on their ability). Standard deviations in parenthesis.

	Allocation		Expected	earnings (in •	€)
Condition	efficiency	Overall	Workers	Employers	Employers
	(in %)	Overall	WOLKEIS	Employers	who hire
Outgroup pairs in <i>Fixed</i>	61.9	7.55	8.53	6.57	6.16
	(48.6)	(2.21)	(1.50)	(4.31)	(6.00)
Ingroup pairs in <i>Fixed</i>	75.0	7.93	8.83	7.03	7.05
	(43.3)	(2.42)	(1.46)	(4.61)	(5.91)
Outgroup pairs in <i>Flexible</i>	62.6	7.46	7.88	7.04	7.14
	(48.4)	(1.75)	(1.37)	(3.20)	(5.89)
Ingroup pairs in <i>Flexible</i>	62.1	7.50	8.20	6.81	6.52
	(48.5)	(1.99)	(1.47)	(3.78)	(5.98)

of ingroup members, suggesting that employers no longer discriminate based on taste.

## 3.3 Efficiency

Given the differences in the employers' hiring behavior, it is interesting to investigate the efficiency consequences of ingroup favoritism. We consider two measures of efficiency. The players' earnings and allocation efficiency, defined as the fraction of pairs in which the employer's decision is congruent with the worker's ability (i.e., cases where the employer hires a high-ability worker or does not hire a low-ability worker). In order not to be constrained by the specific matching of the experiment, we calculated these statistics by considering the employers' mean hiring rate conditional on the message they receive and the workers' lying rate conditional on their ability and then simulating all possible pairings. Table 2 presents the allocation efficiency and average expected earnings by treatment and by pair type. It also reports the average expected earnings of workers and employers separately.

In all conditions, allocation efficiency and overall earnings are above the no-hiring benchmark obtained with traditional assumptions (i.e., 50% allocation efficiency and  $\in$ 7 in earnings). Comparing across conditions, we see that allocation efficiency and earnings are noticeably higher for ingroup pairs in *Fixed*. This is a direct consequence of there being truthful low-ability workers in all conditions, but a significantly higher hiring rate of workers who send the high-ability message in ingroup pairs in *Fixed*.

If we look at earnings by role, we see that workers earn considerably more than in the no-hiring benchmark (i.e.,  $\in 7$ ).<sup>15</sup> By contrast, the earnings of employers are close to  $\in 7$ . Looking at the employers' earnings conditional on hiring (last column in Table 2) shows that

<sup>&</sup>lt;sup>15</sup>Since the workers' earnings depend solely on whether they are hired, their earnings mirror the employers' behavior. Namely, workers who send the high-ability message earn more if they are in an ingroup pair in *Fixed*.

their expected earnings when they hire are not far from the  $\in 7$  they earn if they do not hire, especially in ingroup pairs in *Fixed*.<sup>16</sup> This might be an important reason why we observe taste-based discrimination. Namely, discriminating against outgroup workers is not costly.

## 4 Conclusion

We examine the effects of group identity on hiring decisions where employers cannot observe the workers' abilities, but workers can communicate their ability through cheap-talk messages. We ask whether sharing an identity helps workers and employers overcome the adverse selection problem inherent in these decisions and whether the resulting discrimination is statistical or taste-based. We investigate these questions in settings where identities are fixed and flexible.

We find that employers discriminate in favor of ingroup workers when identities are fixed. Notably, employers do not hold differing beliefs about the ability or truthfulness of ingroup and outgroup workers. This leads us to conclude that the observed discrimination is taste-based. In this respect, it is important to note that the workers' truthfulness and the employers' beliefs are such that the average cost of exercising ingroup favoritism is very low, which might be the reason why we observe taste-based discrimination. The literature on identity reports mixed results, from null effects to significant ingroup favoritism (Pechar and Kranton, 2017). The expected cost of discrimination is a plausible explanation for these diverse findings. Another notable result is the effect of group identity on efficiency. Because hiring rates are low due to adverse selection, the increased rate at which employers hire ingroup workers increases overall efficiency. However, since workers are not more honest towards ingroup employers, the benefits of the higher hiring rate are accrued solely by ingroup workers.

Introducing the possibility to change identity reduces the employers' trust in the workers' truthfulness. Workers are equally likely to lie about their ability, but the employers' belief of being matched with a high-ability worker after seeing a high-ability message is noticeably lower, resulting in a lower hiring rate. This is the case even though the actual number of workers changing identity is extremely low. Flexible identities also eliminate the differential hiring rates between ingroup and outgroup pairs. However, it is unclear why. On the one hand, flexible identities might dampen the taste-based component of ingroup favoritism. On the other hand, the change in the employers' beliefs implies that their expected cost of exercising ingroup favoritism is higher than with fixed identities. Further research would be needed to determine the precise reason for the change.

Overall, our findings in this paper suggest that ingroup favoritism can help alleviate adverse

<sup>&</sup>lt;sup>16</sup>Given the previous results, this is an expected finding. The fraction of low-ability workers who lie is close to  $\theta^* \approx 42.9\%$  in all conditions (see Figure 2). In fact, the fraction of lying low-ability workers is not significantly different from this threshold in any treatment × pair-type combination (Binomial probability tests, p > 0.489).

selection problems in hiring decisions. This is another potential explanation for why discrimination in labor markets persists, even if it is taste-based and there is market competition (Becker, 1971). Our findings also suggest that, in hiring decisions where adverse selection is a problem, discrimination ought to be more common for identities that are less flexible, such as gender and race, than for identities that are easier to change or disguise, such as political and regional identities.

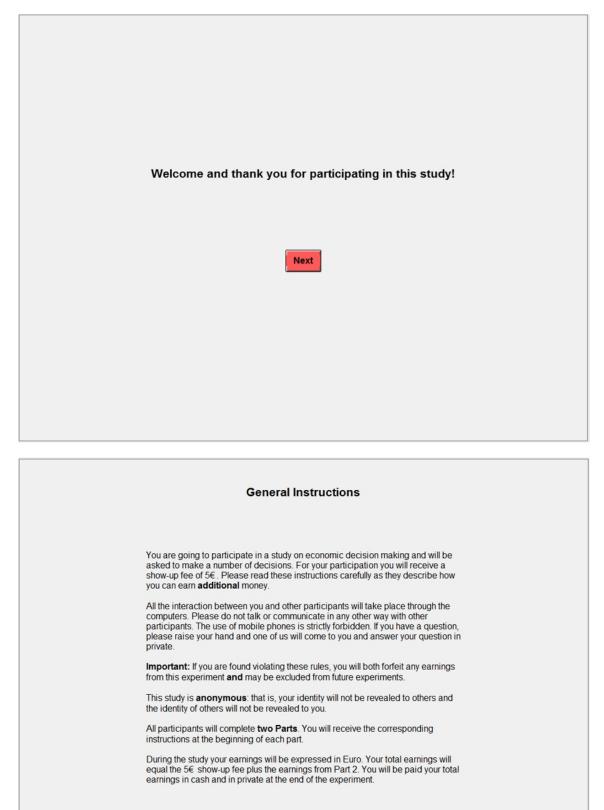
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## Appendix A Sample of screenshots from the *Flexible* treatment





#### Part 1 - Instructions

In Part 1, you are asked to indicate which of two smartphones you prefer.

Your answer will remain anonymous.

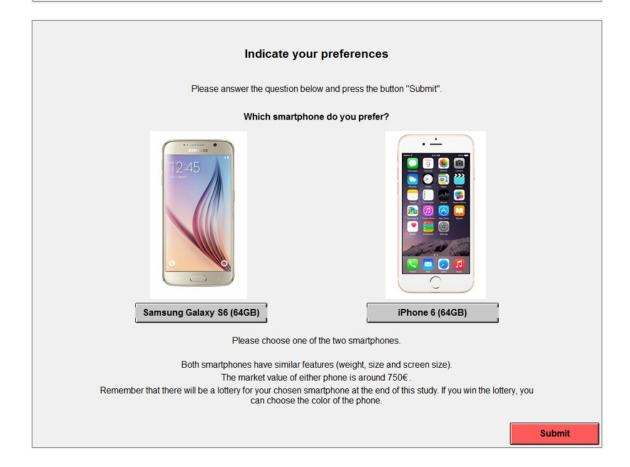
At the end of each experimental session, every participant will receive a lottery ticket with a number between 1 and 750.

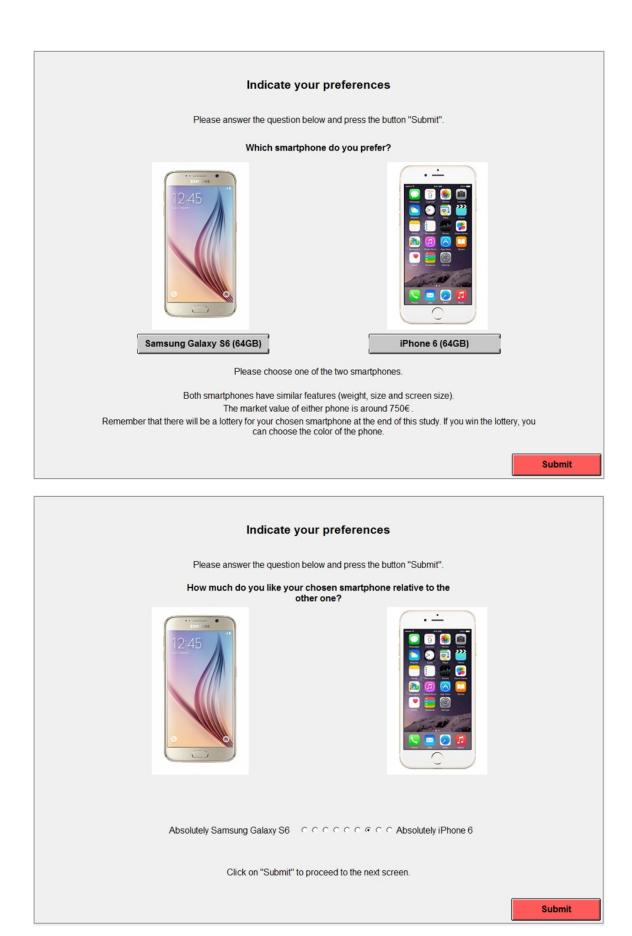
On December 1st, we will randomly draw a number between 1 and 750 and inform all participants via email. A week before the lottery, we will announce by email the room and the time where the lottery will take place. You are welcome to attend the lottery.

The participant whose number matches the randomly drawn number will receive the smartphone he/she indicated as the preferred one.

Please, answer the question with sincerity.

Done





Part 2: General instructions		
In Part 2, all participants will be randomly assigned to one of two possible roles. Half of the participants will assigned the role of <b>Player A</b> and the other half the role of <b>Player B</b> .	be	
Each Player A will be randomly paired with one Player B. Since this study is anonymous, no participant will e know the identity of the person he/she is paired with.	ver	
Part 2 will consist of two stages: <b>Stage 1</b> and <b>Stage 2</b> . At the end of the experiment, one Stage will be rando drawn and everyone in the session will be paid according to the decisions in that stage.	rmly	
Click on "Next" once you are done reading these instructions.		
	Next	1
		_
Role information		
Role mormation		

You have been assigned the role of Player B.

You will keep this role during the entire study.

Click on "Next" once you are done reading the information.

Back

Next

#### Part 2 - Stage 1 - Instructions

All Player Bs have been **randomly** assigned by the computer to one of two groups: to the **HIGH** group or to the **LOW** group. Half the Player Bs in the room are assigned to the HIGH group and the other half to the LOW group. In other words, the probability that your paired Player B is HIGH equals 50%

Earnings in this stage depend on the decisions made in your pair and, in some cases, on a six-sided die that will be thrown by Player B at the end of this session.

First, Player A chooses between LEFT and RIGHT. Then, Player B is informed of Player A's choice and chooses between ACCEPT and REJECT. Earnings in this stage will be determined by the table on the right. Note that:

- If Plaver A chooses LEFT and Plaver B chooses REJECT. then both receive 5 €
- If Player A chooses LEFT and Player B chooses ACCEPT, then both receive 7 €
- If Player A chooses RIGHT and Player B chooses REJECT, then both receive 5 €
- If Player A chooses RIGHT and Player B chooses ACCEPT, then Player B receives 10 € and throws a die at the end of the experiment. The earnings of Player A depend on Player B's group (HIGH or LOW) and on the die throw: - If Player B is LOW, then Player A receives 0 €

  - If Player B is HIGH, then Player A receives 0 € if the outcome of the die throw is number 1 and 12  $\in$  if it is numbers 2 through 6.
- Player A will not observe the die throw. Thus, if Player A earns 0 €, he/she cannot tell whether Player B is HIGH or LOW.

Back

A's choice	LEFT	LEFT	RIGHT	RIGHT
B's choice	REJECT	ACCEPT	REJECT	ACCEPT
A's earnings	5€	7€	5€	B is HIGH 12 € if die=2-6 0 € if die=1 B is LOW 0 €
B's earnings	5€	7€	5€	10€

#### To summarize

Player B always earns more money if he/she chooses ACCEPT.
 Player B always earns more money if Player A chooses RIGHT.

If Player B chooses ACCEPT, on average, Player A earns more money by choosing RIGHT only if Player B is in the HIGH group. The difficulty for Player A is that he/she does not know whether Player B is from the HIGH or LOW group.

Next

#### Part 2 - Stage 1 - Instructions

#### Messaging

Before Player A and Player B make their choice, Player B has the opportunity to send a one-way message to Player A Player B can choose one of two pre-formulated messages about the group he/she has been assigned to; that is, player B can send either one of the following messages: 'I am in the LOW group' or 'I am in the HIGH group'

Player A will receive the message before he/she makes his/her choice.

#### Revising selection of smartphone

Before Player B sends a message to Player A, Player B will see Player A's chosen smartphone and have the opportunity to change his/her selected smartphone. If Player B decides to revise his/her choice, this implies that he/she will participate in a lottery for the newly chosen smartphone. Player A will only see Player B's finally chosen smartphone before he/she makes his/her choice. Player A will not know whether Player B revised his/her choice or not

#### Information on the next screen

Back

Player B will learn whether he/she is in the HIGH or the LOW group. Moreover, Player B will learn which smartphone Player A selected in Part 1

Player A will not learn whether Player B is in the HIGH or the LOW group. However, Player A will learn the **finally** selected smartphone by Player B, but will **not know** whether Player B revised his/her choice or not.

A's choice	LEFT	LEFT	RIGHT	RIGHT
B's choice	REJECT	ACCEPT	REJECT	ACCEPT
A's earnings	5€	7€	5€	B is HIGH 12 € if die=2-6 0 € if die=1 B is LOW 0 €
B's earnings	5€	7€	5€	10€

#### **Comprehension questions**

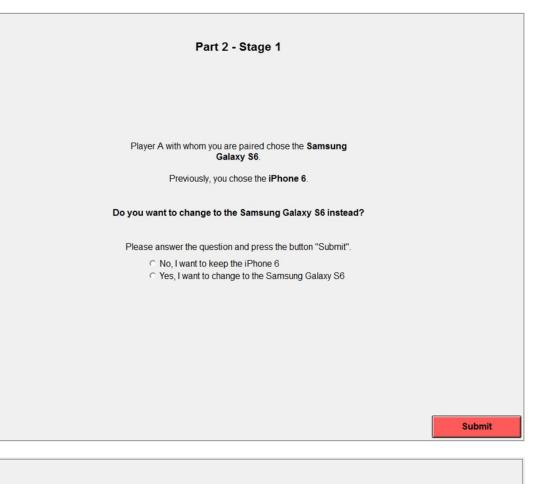
Please answer the following questions to confirm your understanding of the instructions

1. If Player A chooses LEFT and Player B chooses ACCEPT, what are the earnings of

- a) Player A if Player B is HIGH?
- b) Player A if Player B is LOW?
- c) Player B if he/she is HIGH?

d) Player B if he/she is LOW?

Done



#### Part 2 - Stage 1 - Message

• I am in the HIGH group

	A's choice	LEFT	LEFT	RIGHT	RIGHT
	B's choice	REJECT	ACCEPT	REJECT	ACCEPT
You can now send a message to Player A. Please, select below the message you wish to send. The message will be transmitted to Player A. Note that Player A cannot reply to your message.	A's earnings	5€	7€	5€	B is HIGH 12 € if die=2-6 0 € if die=1 B is LOW 0 €
Message	B's earnings	5€	7€	5€	10€
C I am in the LOW group	Remembe	r that:	opov if Playor	A chooses BIG	

#### Remember that:

You always earn more money if Player A chooses RIGHT.
Your group affects Player A's earnings if he/she chooses RIGHT.
The difficulty for Player A is that he/she does **not know** whether you are in the HIGH or in the LOW group. However, you can send a text message to Player A.

#### Information

You are Player B and you are in the LOW group.

You chose the Samsung Galaxy S6 edge.

Player A chose the iPhone 6.

Continue

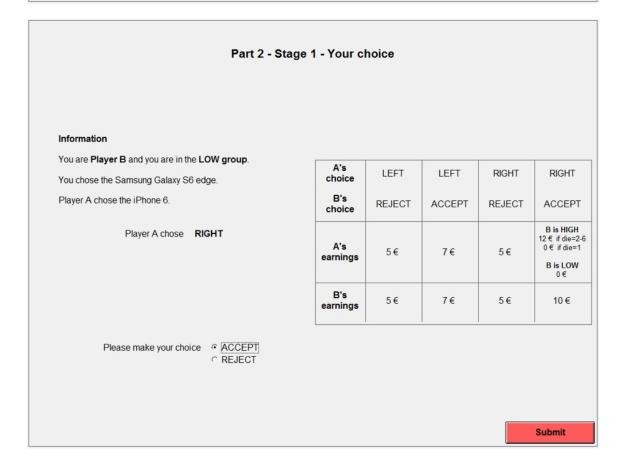
Part 2 - Stage 1	- Your	choice
------------------	--------	--------

	A's choice	LEFT	LEFT	RIGHT	RIGHT
	B's choice	REJECT	ACCEPT	REJECT	ACCEPT
Information	A's				B is HIGH 12 € if die=2-6
Player B ${\bf knows}$ whether he/she is in the HIGH or the LOW group.	earnings	5€	7€	5€	0 € if die=1 B is LOW 0 €
You chose the iPhone 6.					
Player B chose the Samsung Galaxy S6 edge.	B's earnings	5€	7€	5€	10€
				·	·



Please make your choice C LEFT C RIGHT

Submit



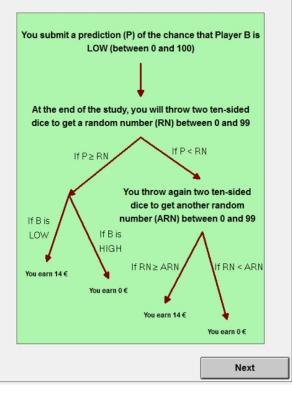
#### Part 2 - Stage 2 - Instructions

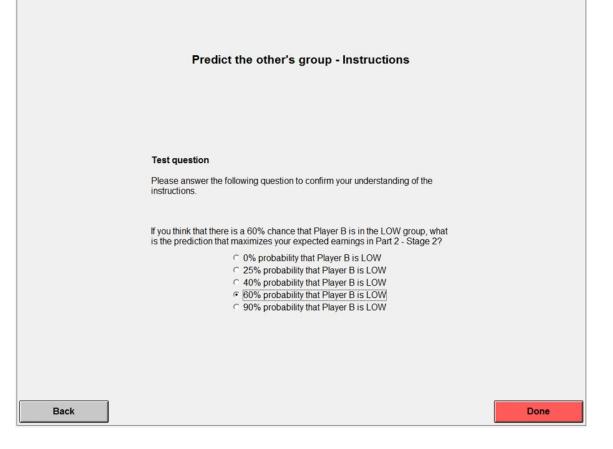
You will complete 2 - Stage 2 while you wait for Player B. In this part, we will ask you to answer the following question:

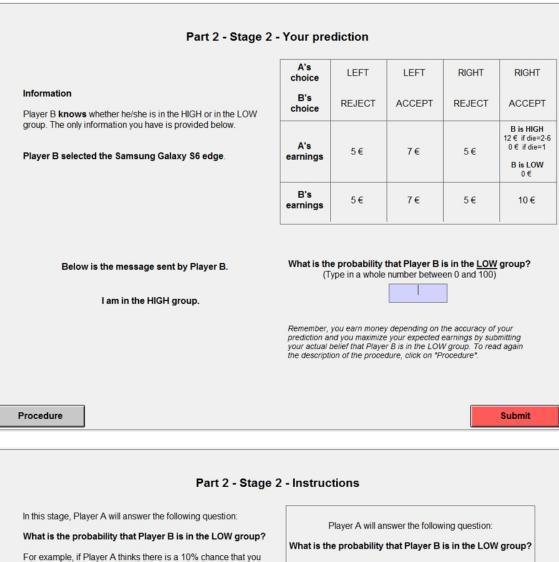
#### What is the probability that Player B is in the LOW group?

For example, if you think there is a 10% chance that Player B is in the HIGH group and a 90% chance that Player B is in the LOW group, then enter 90 as your probability that Player B is in the LOW group.

If Part 2 - Stage 2 is selected for payment, you will **earn money depending on the accuracy of your prediction**. Specifically, we will compare the actual group of Player B to your prediction and pay you according to a procedure designed by Prof. Edi Karni to reward accurate predictions. According to this procedure, you maximize your expected earnings when your submitted prediction equals your actual belief that Player B is in the LOW group. The details of the procedure are not crucial as long as you are aware that submitting a prediction that is not your actual belief will decrease your expected earnings and will not reduce your risk (variation in earnings). The mathematical proof is complex, but if you wish, we can give you the scientific article at the end of the study. The procedure is described by the figure.







For example, if Player A thinks there is a 10% chance that you are in the HIGH group and a 90% chance that you are in the LOW group, then he/she will answer 90 as your probability that you are in the LOW group.

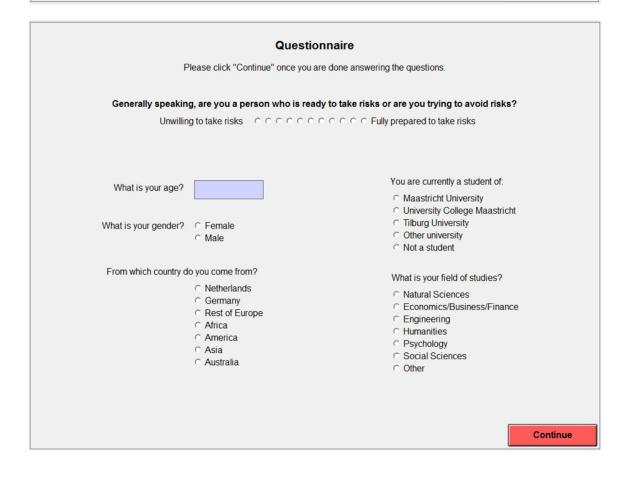
Your task in this stage is to **guess Player A's answer** to the above question. If Part 2 - Stage 2 is selected for payment, you will **earn money depending on the accuracy of your guess**. Specifically, you enter your guess by selecting checkboxes like the ones in the picture to the right. We will compare the actual answer of Player A to your guess and pay you in the following way. If Player A's answer falls in one of the ranges you selected then you earn a positive amount. Importantly, the more ranges you select, the lower your earnings if you are correct (see the table below). If Player A's answer falls outside your selected ranges then you earn 0  $\in$ .

# of checked Earnings if correct Earnings if wrong ranges 1 14 0 2 11 0 3 8 0 4 5 0 5 2 0 0 0 6 or more

t is the probability that Player B is in the LOW gr In which range (or ranges) will Player A's answer fall? 0 to 4 5 to 14 5 to 14	
□ 0 to 4 □ 5 to 14	?
□ 5 to 14	
E 454-04	
□ 15 to 24	
□ 25 to 34	
□ 35 to 44	
□ 45 to 54	
□ 55 to 64	
□ 65 to 74	
□ 75 to 84	
□ 85 to 94	
□ 95 to 100	
Your earnings if you are correct: 14€	
Your earnings if you are wrong: 0€	

#### Part 2 - Stage 2 - Your prediction

What is the probability that Player B is in the LOW group In which range (or ranges) will Player A's answer fall? 0 to 4 5 to 14
□ 0 to 4
□ 0 to 4
<b>E</b> to 14
51014
□ 15 to 24
□ 25 to 34
□ 35 to 44
I 45 to 54
₽ 55 to 64
□ 65 to 74
□ 75 to 84
□ 85 to 94
□ 95 to 100
Your earnings if you are correct: 11 €
Your earnings if you are wrong: 0€



## The experiment has ended. Thank you for participating!

We will now throw a six-sided die to determine whether you will be paid according to Stage 1 or Stage 2.

The correspondence between parts and numbers is as follows:

Die outcome is 1-3: Part 2 - Stage 1

Die outcome is 4-6: Part 2 - Stage 2.

The part to be paid is Part 2 - Stage 1 - Game.

Game outcome: You chose: RIGHT Player B chose: ACCEPT

Therefore Player B will throw a six-sided die.

If Player B's group is HIGH and the outcome of the die throw is numbers 2 through 6, you will earn **12** € (plus the 5€ show-up fee).

Otherwise, you will earn 0 € (plus the 5€ show-up fee).